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A Credit Scoring Model Based on Contour Subspaces

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Standard credit scoring model

$$f : X \rightarrow \{good, bad\}$$

$$X = \{x_1, x_2, \dots, x_m\}$$

$$X = \{\textit{client's attributes, loan attributes}\}$$

“Apparent superiority of more sophisticated methods may be something of an illusion. In particular, simple methods typically yield performance almost as good as more sophisticated methods, to the extent that the difference in performance may be swamped by other sources of uncertainty that generally are not considered in the classical supervised classification paradigm.”

Hand, D. J. (2006). Classifier technology and the illusion of progress. *Statistical science*, 21(1), 1-14.

$$F(P, M, T) = Q(X')$$

$$F(\text{loan attributes}) = Q(\text{client's attributes})$$

P - loan rate;

M - loan amount;

T - loan period;

Q - creditworthiness.

Construction of the credit risk model

$$P_i = F_P^{-1}(Q, T, M) = \sum_{i=0}^n (a_i M^i + b_i T^i + c_i Q^i),$$
$$a_i, b_i, c_i \in R, i = 0, 1, \dots, n$$

$$M_i^{lim} = F_M^{-1}(Q, T, P) = \sum_{i=0}^n (w_i P^i + u_i T^i + v_i Q^i),$$
$$w_i, u_i, v_i \in R, i = 0, 1, \dots, n$$

- ① credit terms set up according to a client's individual creditworthiness value;
- ② credit terms visualisation for clients according to their individual creditworthiness value by a contour subspace of credit terms;
- ③ credit terms on-line management depending on the dynamics in creditworthiness.

1. Setting up a loan rate

$$P_i = F_P^{-1}(Q, T, M) = \sum_{i=0}^n (a_i M^i + b_i T^i + c_i Q^i),$$
$$a_i, b_i, c_i \in R, i = 0, 1, \dots, n$$

P - loan rate;

M - loan amount;

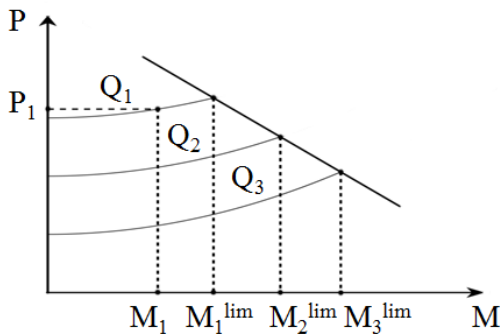
T - loan period;

Q - creditworthiness;

F_P^{-1} - inverse function F by argument P;

a_i, b_i, c_i - coefficients.

2. Visualisation of credit terms



$$F(P, M) = Q_i; Q_1 < Q_2 < Q_3; P_1 = F_P^{-1}(M_1, Q_1)$$

3. Management of credit terms

$$Q_j(t) = \beta, Q_j(t-1) = \alpha, P_j(t-1) = P_j(t)$$

$$\begin{aligned}\Delta M_i^{lim}(t) &= M_i^{lim}(t) - M_i^{lim}(t-1) = \\ &= F_M^{-1}(P_j(t), \beta) - F_M^{-1}(P_j(t-1), \alpha) = \\ &= \sum_{i=0}^n (w_i P_j^i(t) + v_i \beta^i) - \sum_{i=0}^n (w_i P_j^i(t) + v_i \alpha^i) = \\ &= \sum_{i=0}^n v_i (\beta^i - \alpha^i)\end{aligned}$$

